

Optimizing the Last Mile

A Case Study in São Paulo, Brazil



São Paulo skyline
Source: vexels.com

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Urban last-mile delivery in megacities is one of the most complex challenges in a global supply chain

Factors to consider when designing a distribution network

Internal constraints



Number of facilities and facility capacity



Labor size, fleet size and vehicle types



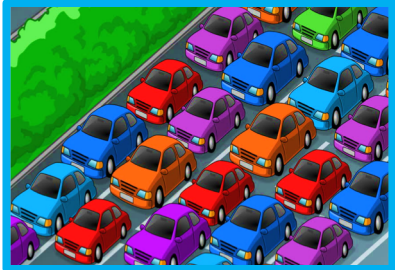
External challenges



High customer expectations, demand fragmentation, urban agglomeration



Roadblocks, traffic congestion, inadequate road infrastructure, fuel price volatility



To tackle these challenges, the MIT Megacity Logistics Lab helps companies design better last-mile distribution networks

Project background



MIT
**MEGACITY
LOGISTICS
LAB**

First
project in



Bogotá
and Cali

Current
project in



São
Paulo

Distribution Center



4
DCs



+600
Vehicles



+200k
Customers

Parking Area



Cross Docking



Customer Delivery



And based on this background and challenges, the goal of the project is...

To design the most responsive, lowest-cost, last-mile distribution network for a set of different scenarios in emerging markets

How do we reach this goal?

Methodology



How do we reach this goal?

Methodology

1

Data Collection and Processing

Parameter Values for the Model

- Cost and time parameters
- Vehicle and facility parameters

Demand Data Collection

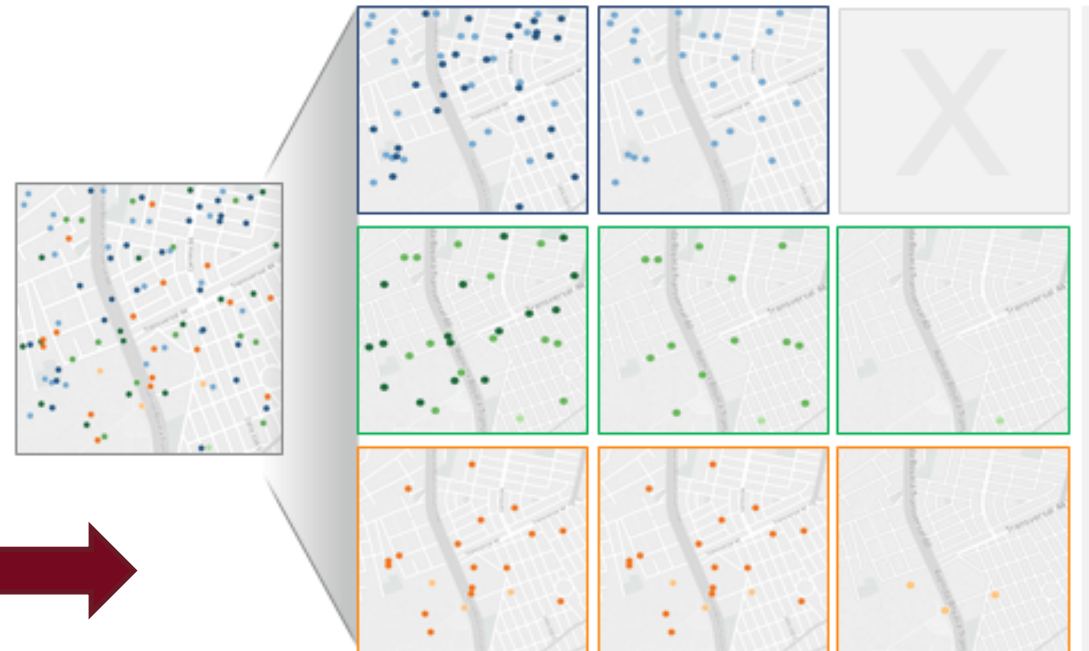
Definition of Pixels

2

Optimization Model

3

Scenario Analysis



How do we reach this goal?

Methodology

1

Data Collection and Processing

2

Optimization Model

3

Scenario Analysis

Obj($\mathbf{y}, \mathbf{x}, \mathbf{Q}, \mathbf{R}$)

Rent cost of activated facilities

Fixed cost of using owned vehicles

Daily rent costs of additional vehicles (not owned)

$$= \sum_{f \in \mathcal{F}} K_f^R y_f + \sum_{v \in \mathcal{V}} \sum_{f \in \mathcal{F}} K_v Q_{fv}$$

$$+ \frac{1}{T} \left(\sum_{t \in \mathcal{T}} \sum_{f \in \mathcal{F}} K_f^f y_f + \sum_{f \in \mathcal{F}} \sum_{v \in \mathcal{V}} \sum_{t \in \mathcal{T}} K_v^R R_{fvt} \right)$$

Fixed cost of facilities activated

$$+ \sum_{i \in \mathcal{I}} \sum_{s \in \mathcal{S}} \sum_{p \in \mathcal{P}} \sum_{f \in \mathcal{F}(i)} \sum_{v \in \mathcal{V}(if)} \sum_{t \in \mathcal{T}} (C_{ifvt}^{sp} x_{ifvt}^{sp} + c_f^i \gamma_{it}^{sp} \rho_{it}^{sp} x_{ifvt}^{sp})$$

Operational routing costs and handling costs to serve customers

Use of Approximation Formulas

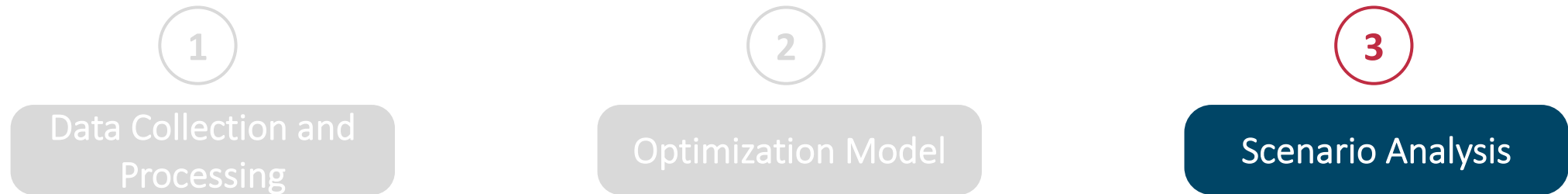
Set of Constraints

Decision Variables

- Number of owned vehicles
- Number of rented vehicles
- Facility activated or not
- Allocation of pixel

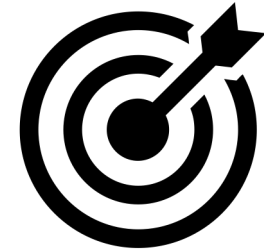
How do we reach this goal?

Methodology

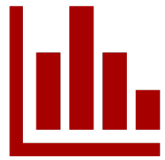


Goals of the scenario analysis:

- Validate robustness of baseline solution
- See where/when key cost/benefit tradeoffs occur
- Gain insights generalizable to similar last-mile networks
- Have fun/ exploratory analysis



The proposed scenarios are...



Baseline scenario

For meaningful comparisons



Driver overtime allowed

How many hours? Cost per hour?



Using outsourced drivers

Which modality offers most benefits?



Government regulations

Fuel taxes, vehicle size restrictions



Urban issues

Traffic, road blocks



Network analysis

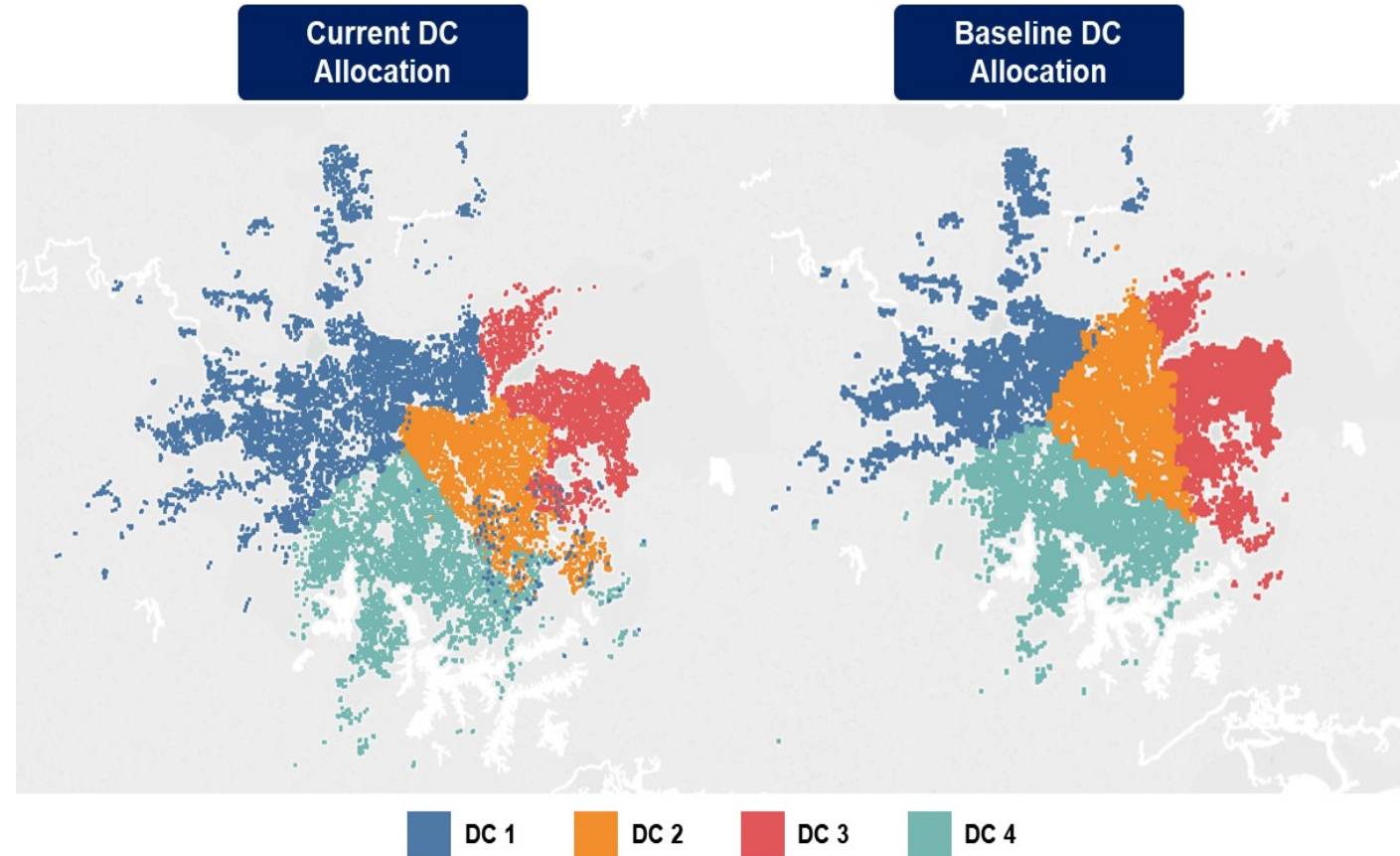
Which facilities does this network actually need?

Metrics

- **Costs**
 - Facility
 - Vehicle
 - Route
- **Quantity of Vehicles**
- **Distance**
- **Facility Usage**

Results: Baseline Scenarios

- **New DC service areas**
- **Satellite facilities not utilized**
 - If no fixed cost, this changes



Results: Overtime improves network performance

Baseline

Facility Name	Average Number of Cases Delivered per Tour	Average Distance from Facility to First Stop of Tour (km)	Average Cost per km (R\$)	Average Cost per Delivery (R\$)	Average Cost Per Case Delivered (R\$)	Total Pixels Served	Customers Served	Vehicles Rented for Week
DC 1	100	10.00	75.00	75.00	5.00	1,293	5,000	243
DC 2	85	6.47	82.26	65.40	5.07	970	6,800	314
DC 3	113	9.79	91.91	79.07	4.00	857	4,023	200
DC 4	101	8.41	77.69	73.69	4.55	1,101	5,071	244

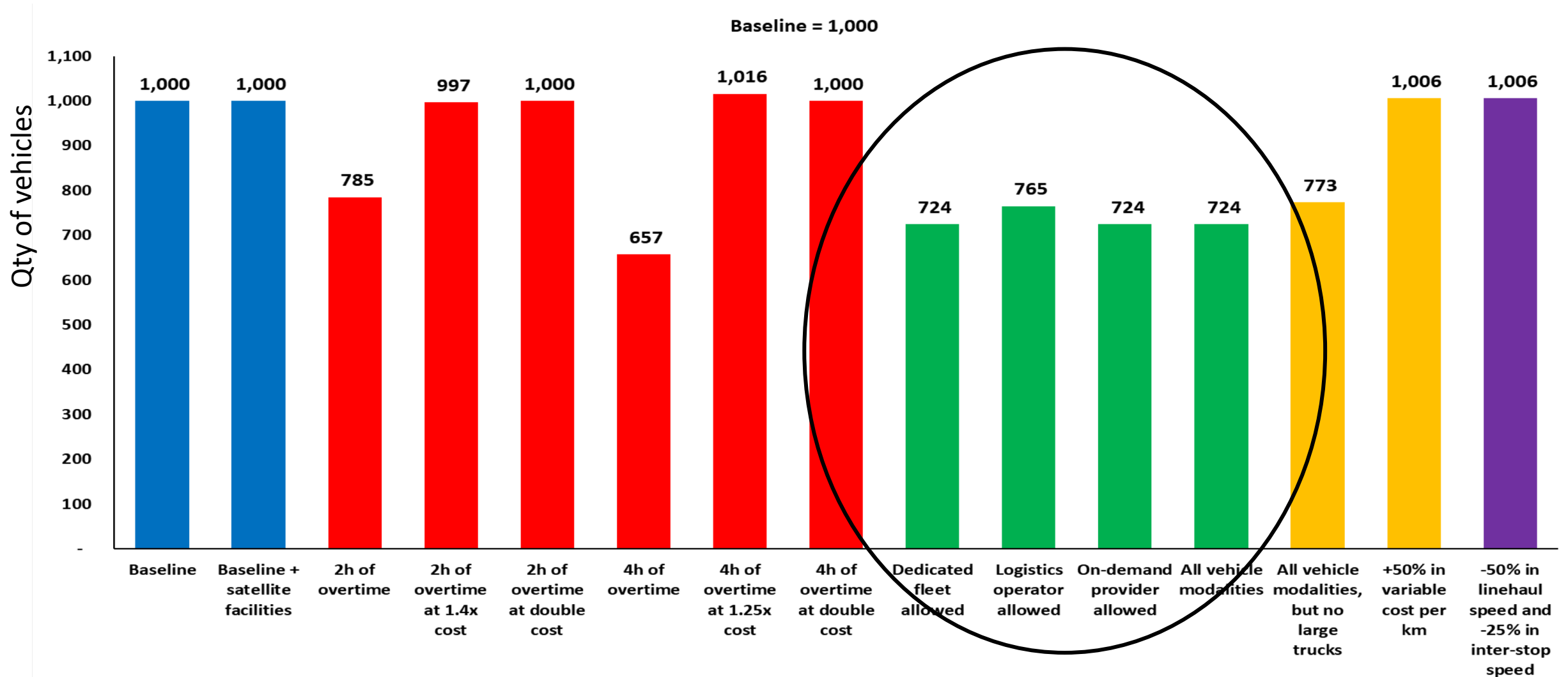
With 2 hours of OT

More productive routes
20% improvement
5% improvement
20% improvement

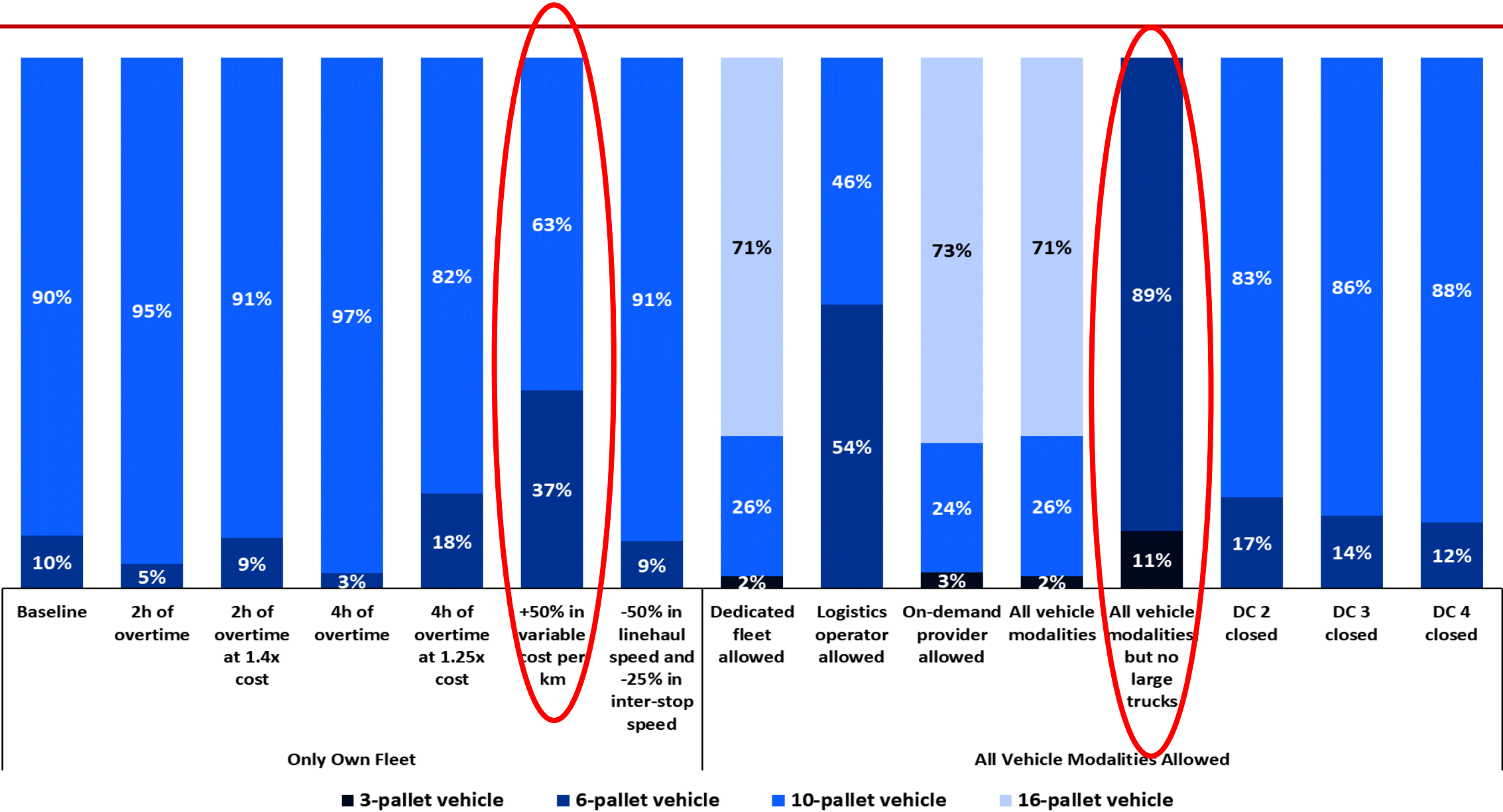
Facility Name	Average Number of Cases Delivered per Tour	Average Distance from Facility to First Stop of Tour (km)	Average Cost per km (R\$)	Average Cost per Delivery (R\$)	Average Cost Per Case Delivered (R\$)	Total Pixels Served	Customers Served	Max Vehicles Used
DC 1	129	9.86	62.60	70.64	4.75	1,293	5,018	194
DC 2	112	6.52	67.67	62.90	4.89	970	6,745	250
DC 3	146	9.81	75.12	75.05	3.82	857	4,028	160
DC 4	131	8.41	64.31	70.24	4.37	1,101	5,103	195

Results: Outsourcing drivers reduces quantity of vehicles needed

Qty of vehicles rented for week



Results: government regulations change fleet composition



Results: urban issues do not disable the network

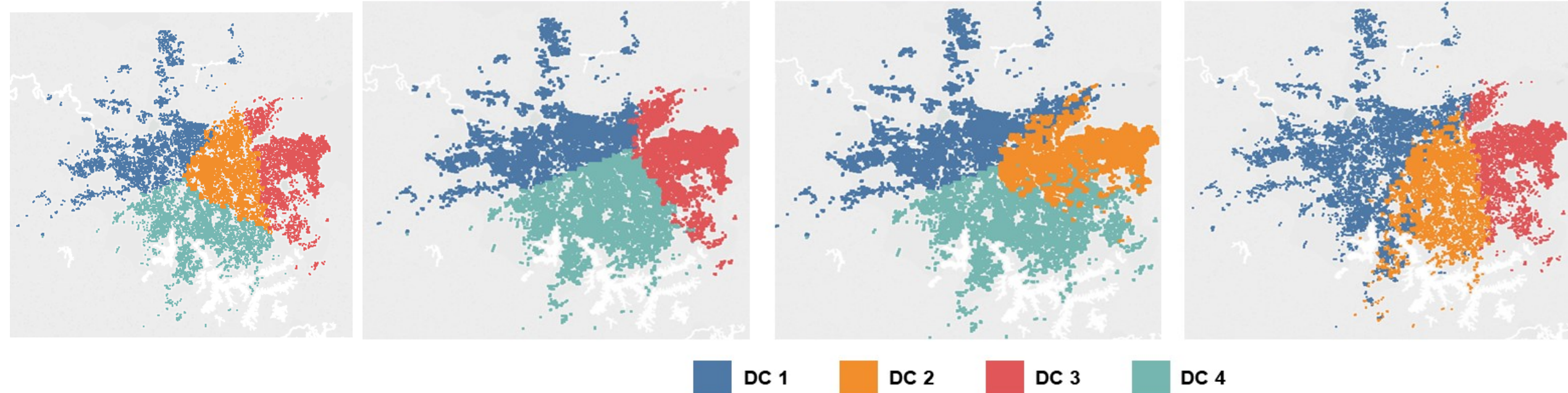
- **Traffic**
 - Costs increase by about 1%
- **Road blocks (assumed 1 DC was inaccessible)**

Baseline DC Allocation

DC 2 closed

DC 3 closed

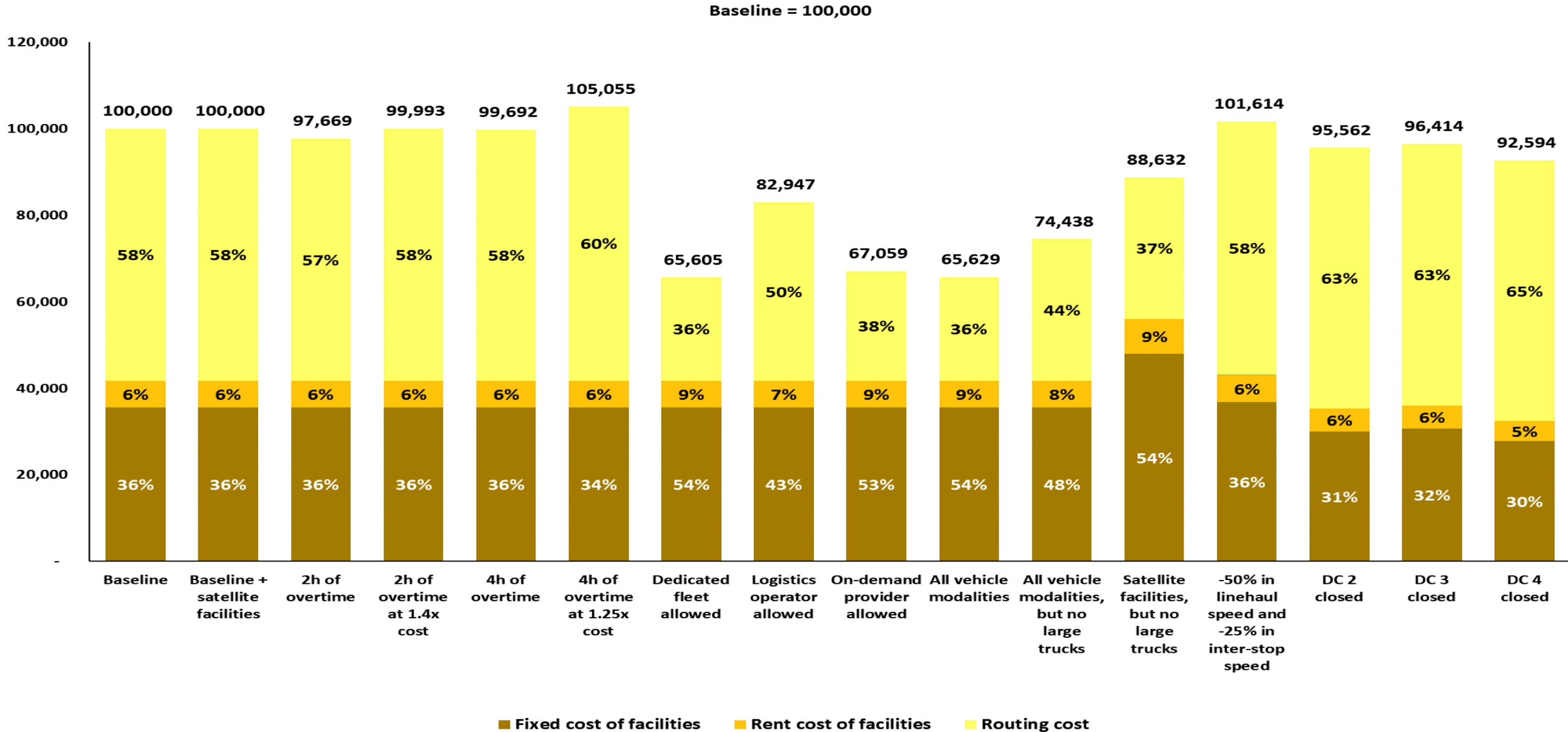
DC 4 closed



Results of Network Analysis: satellite facilities present challenges

- **Very tricky to force the model to consider a second echelon of facilities**
- **Potential reasons:**
 - Cost profiles of candidate facilities
 - Unconstrained number of vehicles
- **Opportunities for more analysis here**

Total costs: biggest improvements are in routing costs



Significant Findings & Future Extensions

Significant Findings

- Routing costs offer highest potential for cost savings
- Outsourced vehicle modalities are preferred
- Consider finding cheaper options for satellite facilities

Future Extensions

- **Constrained vehicle fleet size**
 - Determine optimal mix of modalities, sizes
- **Demand uncertainty**
 - Seasonality
 - 'Balanced' delivery week
- **Second-echelon**
 - What is the 'perfect' facility?

Questions?

Backup slide

Total Distance

