

# Network Design Model for Fuel Retail

by

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## Company and problem

Sponsor company: small chain of fuel stations in Brazil

- Revenue in 2017: US\$ 10M
- Company owns its own fleet
- Intention to expand: Where to place new stations?

Fuel market:

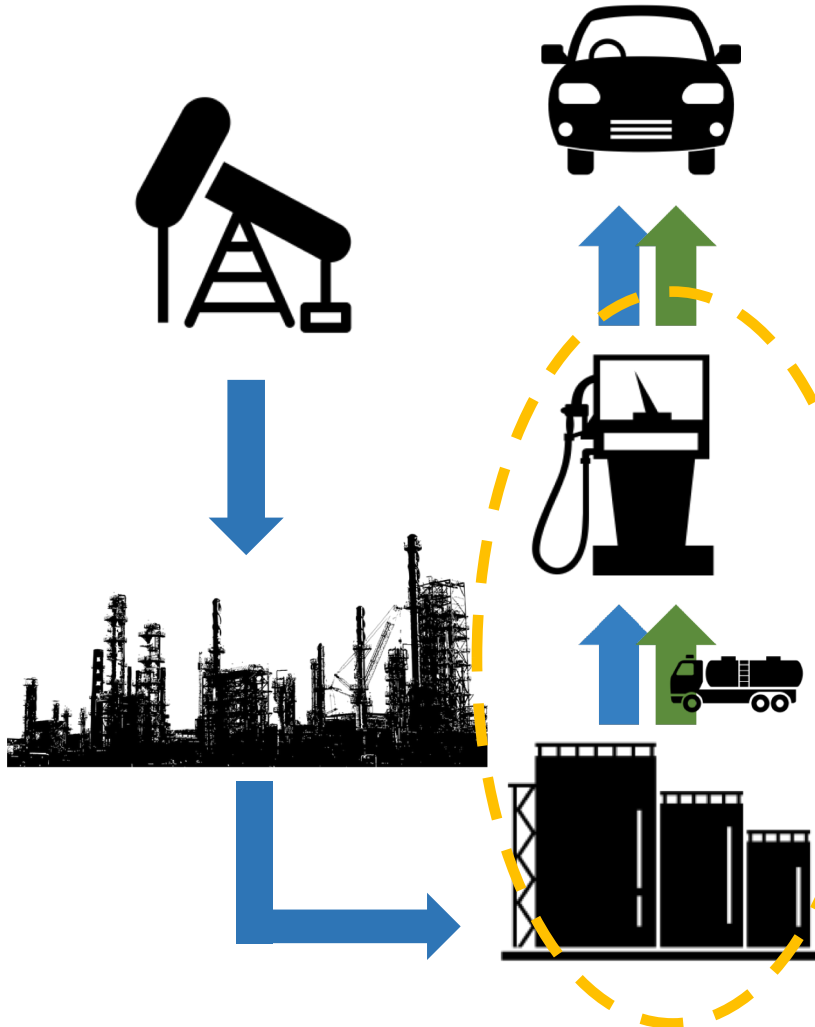
- Low profit margins (2-3%)
- Price-sensitive customers
- Significant transportation costs

Research question: Can we add competitiveness and profitability to a fuel retailer's expansion strategy by modeling the entire SC Network?



## Fuel Supply Chain

Gasoline and diesel:

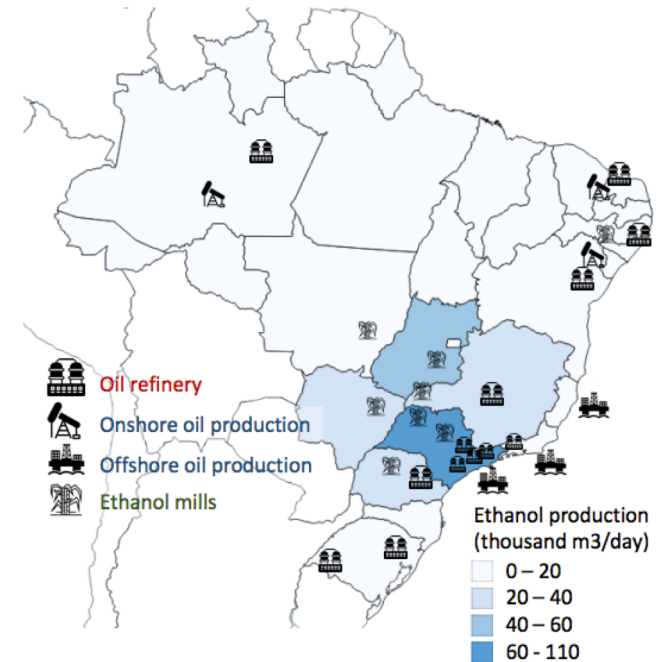


Ethanol in US:

- Requires subsidizing
- Dirtier than coal
- Very few vehicles and stations

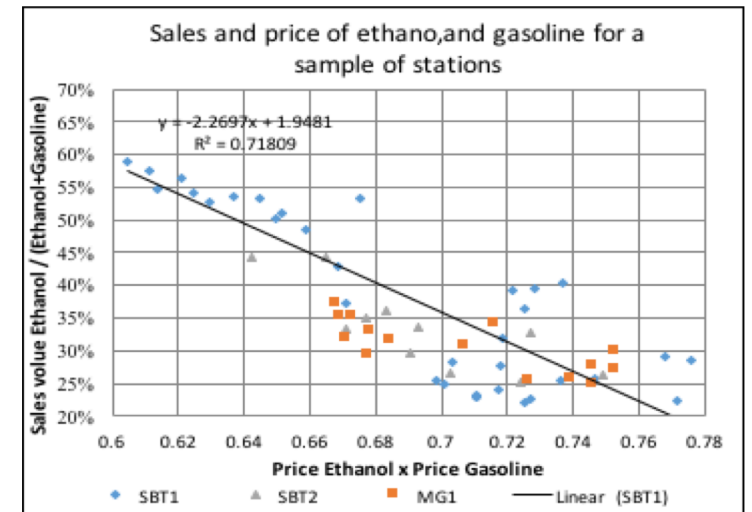
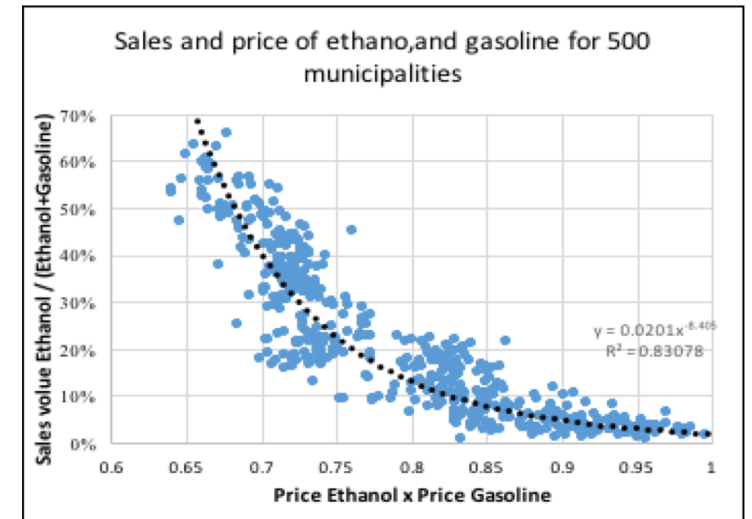
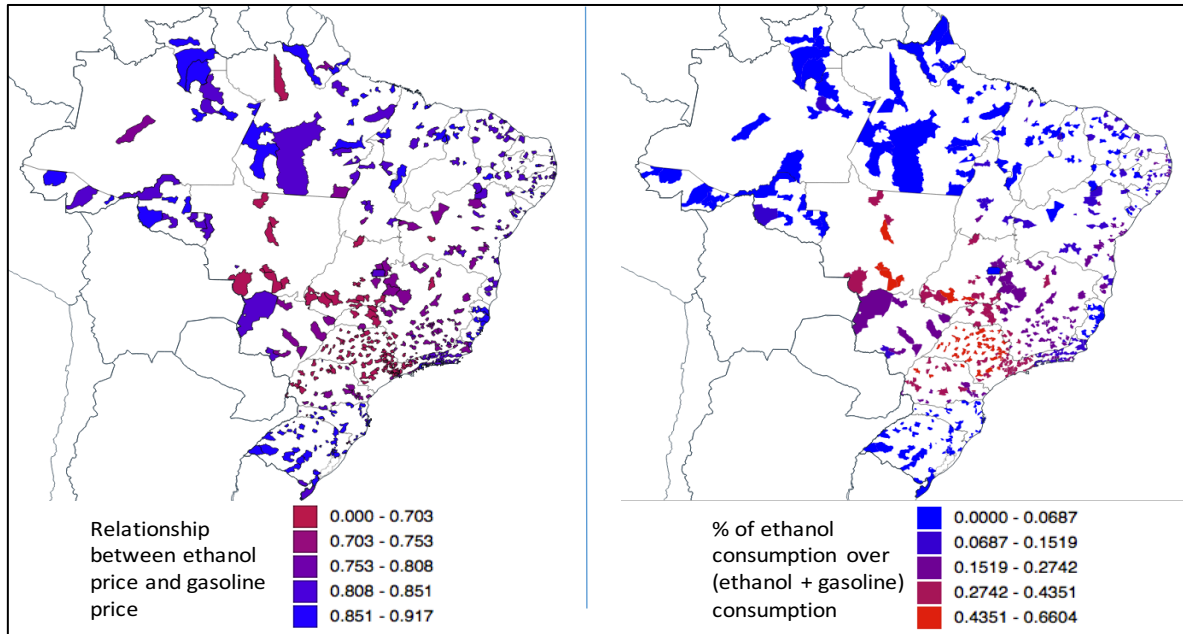
Ethanol in Brazil:

- Competitive against gasoline
- Cleanest fuel massively used
- Compatible with 90% of cars
- Present in 100% of stations
- Interesting multi-commodity network optimization problem





## Ethanol and gasoline prices and sales volumes



- Ethanol and petrol fuels are produced in different regions: Production, prices and consumption are geographically correlated;
- Transportation between distributors and retail stations are done by road;
- RENOVA-BIO project in Brazil may increase demand by 40%



## Model formulation

### Data from public sources:

- > Monthly fuel prices (retail and wholesale) at each city
- > Year-by-year consumption of fuels at each city
- > Population and GDP data for each city.
- > Inflation data.



### Assumptions:

- > Total sales volume similar for stations
- > Facility costs per month proportional to city GDP/capita

### Monte Carlo simulations

Multi-commodity  
Network  
Design Model



M.I.L.P

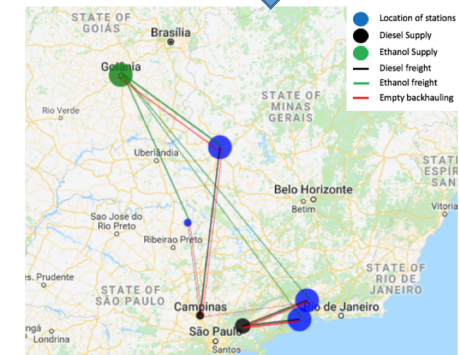


### Data from company:

- > Price of all fuels, day-by-day, since 2013.
- > Cost of fuel purchased from distributors.
- > Sales volume of each fuel at each day.
- > Financial data and expenses.
- > Fleet specification

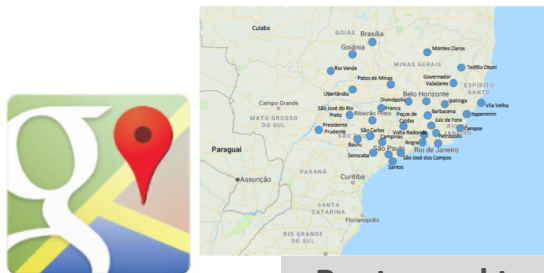


- > Fuel retail price for each node
- > Fuel wholesale price for each node
- > Sales volume per month per station per fuel
- > Facility fixed costs per month



### Optimum design for maximum profit:

- > Number of stations per node
- > Supply sources and routes



Google Maps API

Routes and topographies  
between nodes



Fuel Consumption  
Model

Route costs

## Model formulation

Objective function:

$$\text{Max Profit} = \sum_{ijk} T_{ijk} \times R_{jk} \times V - \sum_{ijk} T_{ijk} \times W_{ijk} \times V - \sum_{ijk} T_{ijk} \times c_{ijk} - \sum_j f_j \times S_j$$

s.t.

$$\begin{aligned} \sum_i T_{ijk} &< D_{jk} \quad \forall j, k \\ \sum_i T_{ij} &= \sum_j T_{ji} \\ S_j &\in \mathbb{N}, T_{ijk} \in \mathbb{Z} > 0 \\ S_j &< SM_j \\ \sum_j S_j &< SM \end{aligned}$$

Revenue

Cost of facilities

Cost of Goods Sold (COGS)

Cost of transportation

Demand constraint

Conservation of trucks

Maximum number of facilities

Where:

$T_{ijk}$  = Number of cargo runs carrying product  $k$  from node  $i$  to node  $j$  (decision variable)

$R_{jk}$  = Retail price of product  $k$  at station located in node  $j$

$V$  = Volume carried by tanker truck

$W_{ijk}$  = Wholesale price of product  $k$  at distributor in  $i$  to destination  $j$

$c_{ijk}$  = Transport cost for moving with cargo  $k$  from  $i$  to  $j$

$f_j$  = Fixed monthly cost for a station located in node  $j$

$S_j$  = number of stations in node  $j$  (decision variable)

$t_{jk}$  = Tax rate over product  $k$  at node  $j$

$D_{jk}$  = Demand for product  $k$  per station at node  $j$

$SM_j$  = Number of maximum allowed stations at node  $j$

$SM$  = Number of maximum allowed stations overall

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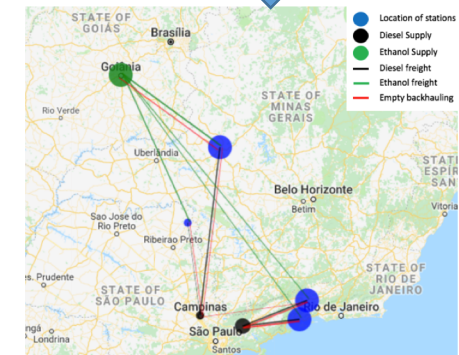
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Fuel Consumption  
Model

Route costs



Routes and topographies  
between nodes

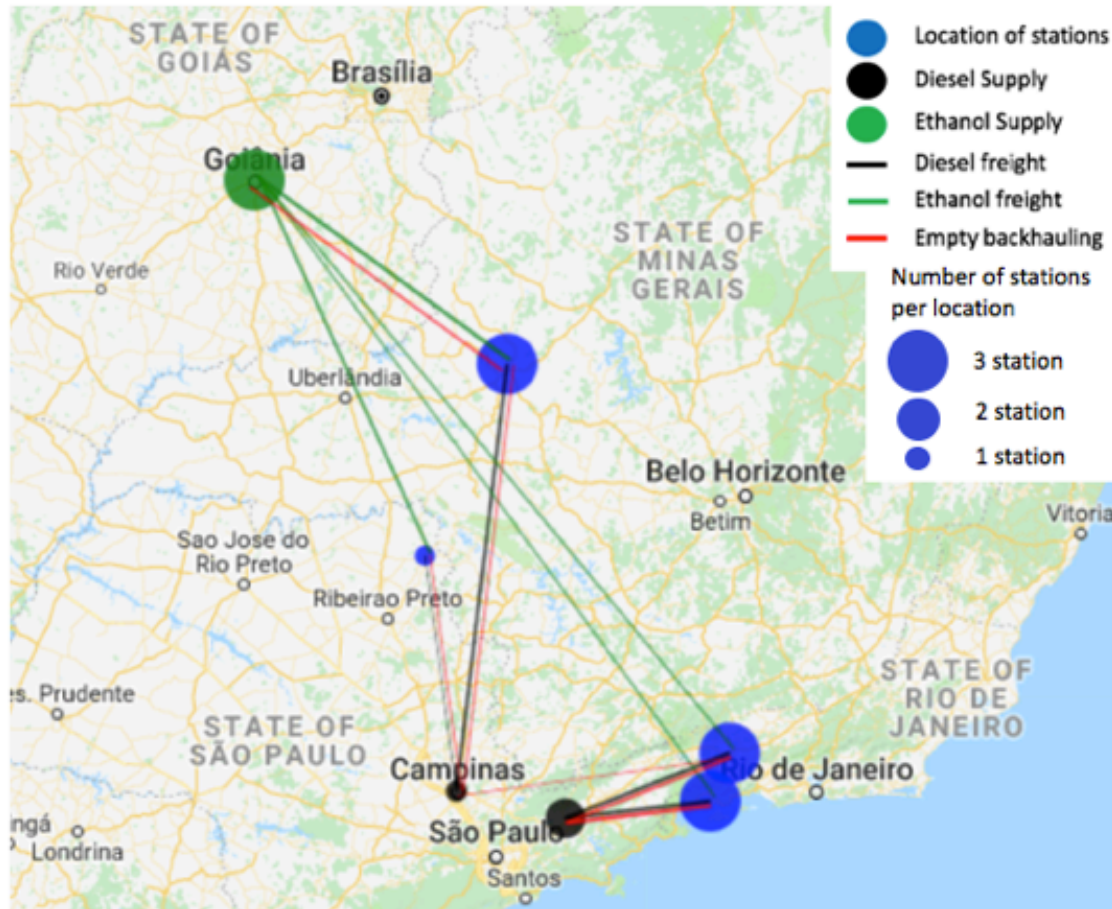


Optimum design for maximum profit:

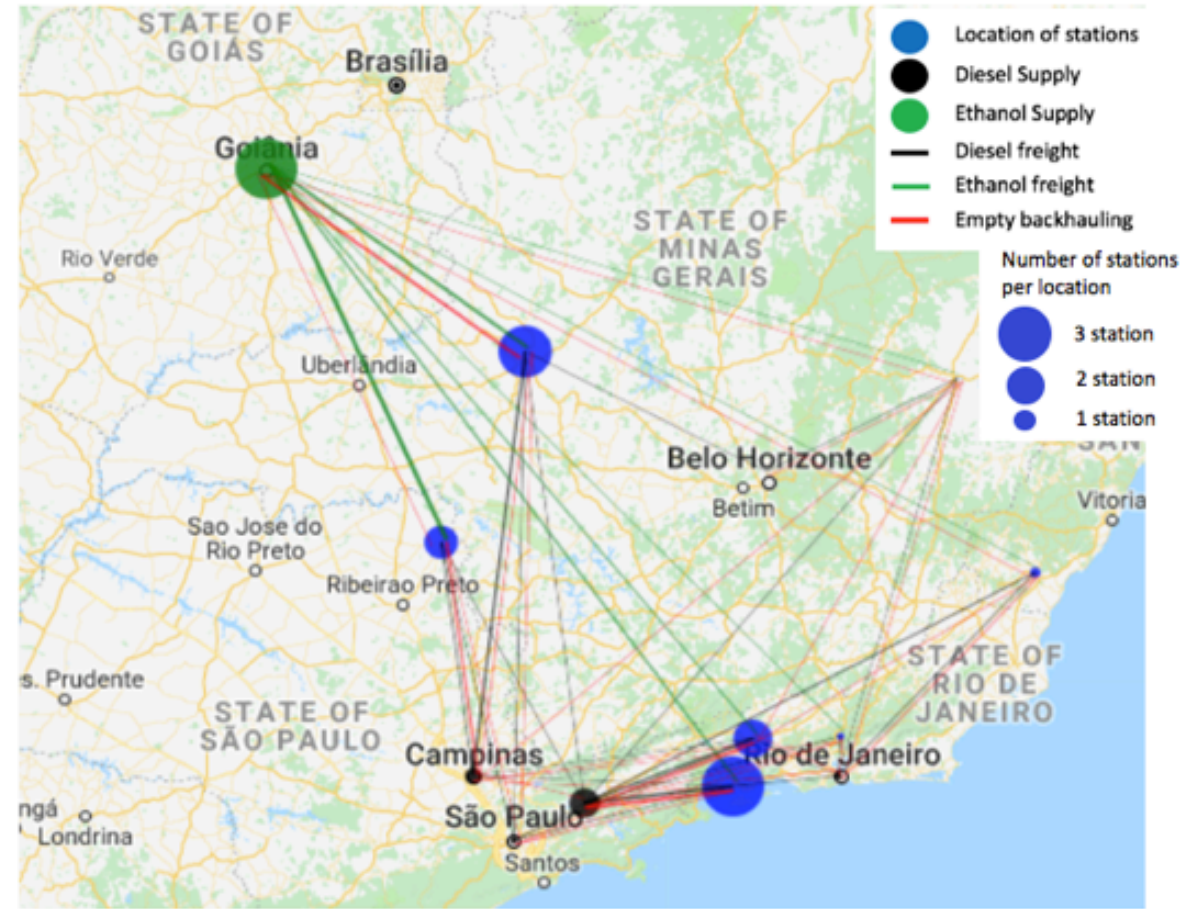
- > Number of stations per node
- > Supply sources and routes



## Results



**Deterministic**  
Fleet utilization: 65%



**Probabilistic**  
500 Monte-Carlo simulations

## Results

Operating Income as function of sales volume	Model result – Complete case		Model result – not considering topography		Model result – not considering backhauling cost	
	EBITDA - in 1,000` US\$	Difference to Regular case	EBITDA - in 1,000` US\$	Difference to Regular case	EBITDA - in 1,000` US\$	Difference to Regular case
120,000 (liters per month)	12.9	-1%	12.8	-1%	12.5	-3%
100,000	9.3	-1%	9.2	-1%	9.0	-3%
80,000	5.8	-1%	5.7	-1%	5.5	-5%
60,000	2.3	0%	2.3	0%	2.3	0%
40,000	0.0	0%	0.0	0%	0.0	0%

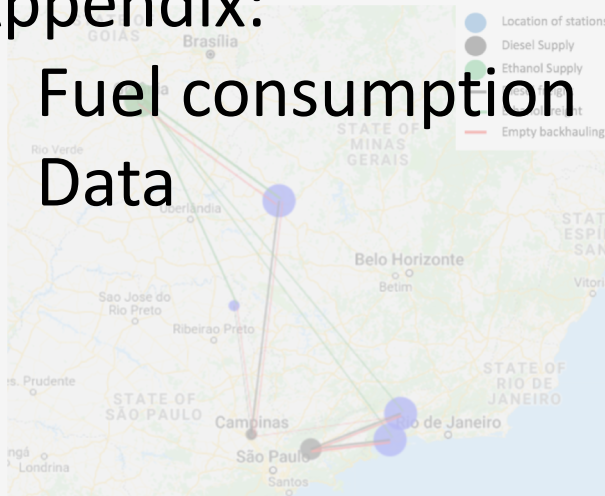
Q&A

### Result take-away:

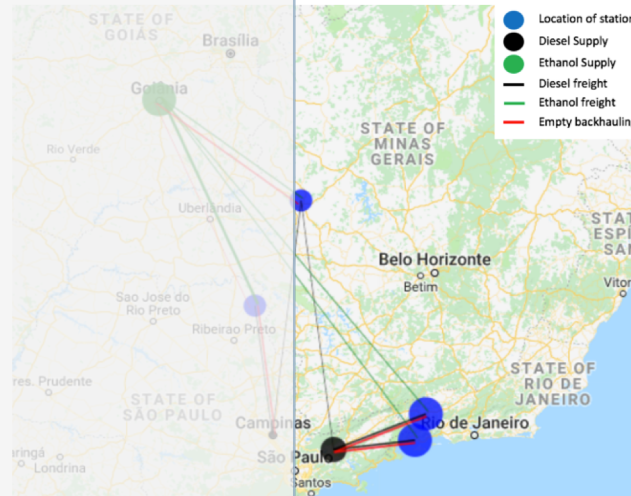
- Truck routing (backhauling) -> 20% higher fleet utilization and 5% higher profit in the model;
- Route topography -> design with 2% higher profit;
- Assumptions about fixed costs and sales volume - In real life, historical or inferred values and use this model to select among potential retail locations.

### Appendix:

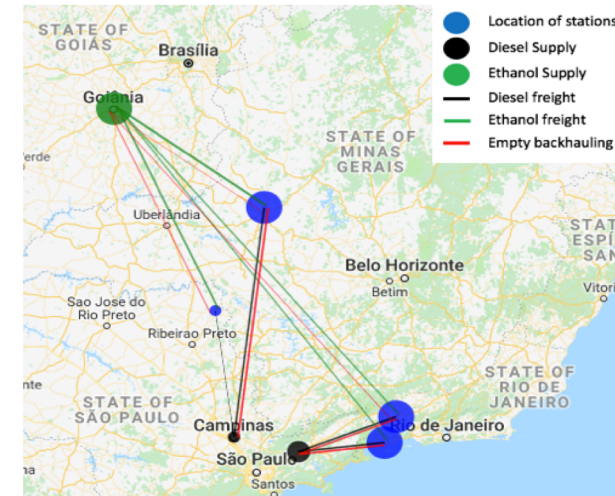
- Fuel consumption
- Data



Complete case



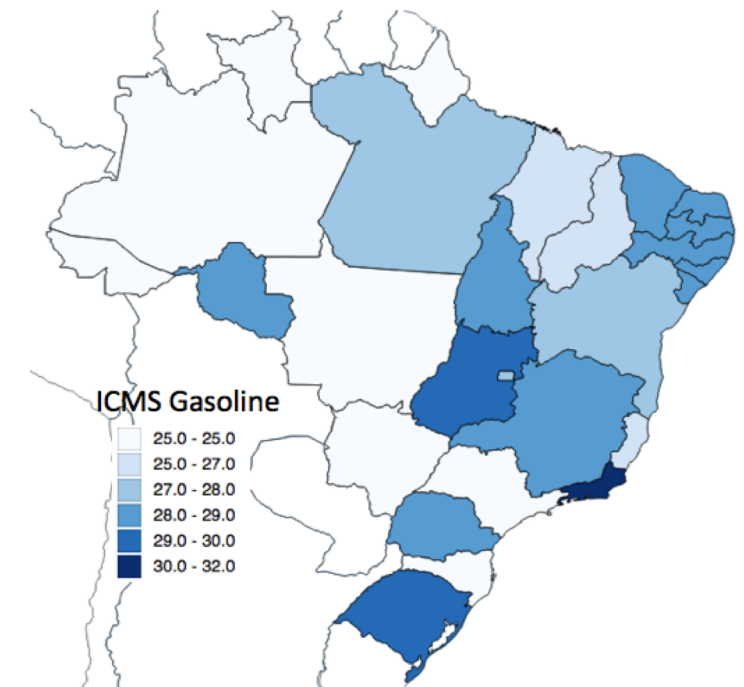
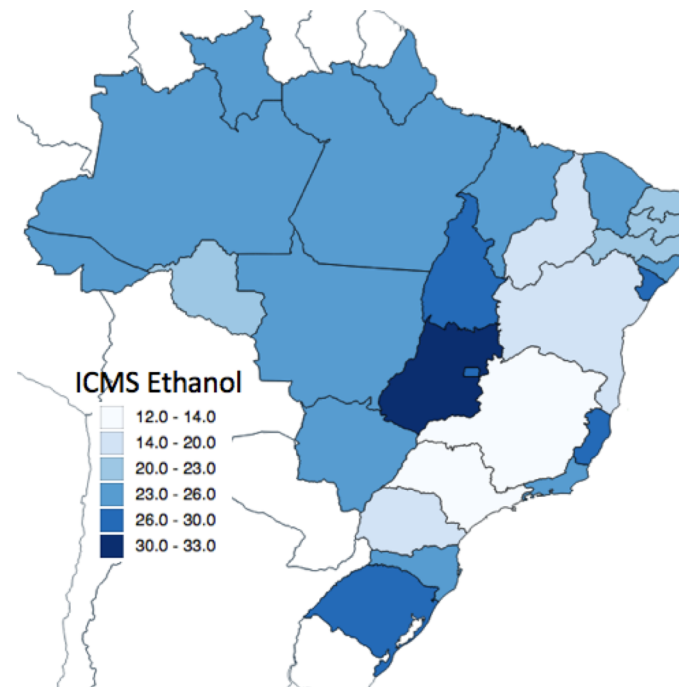
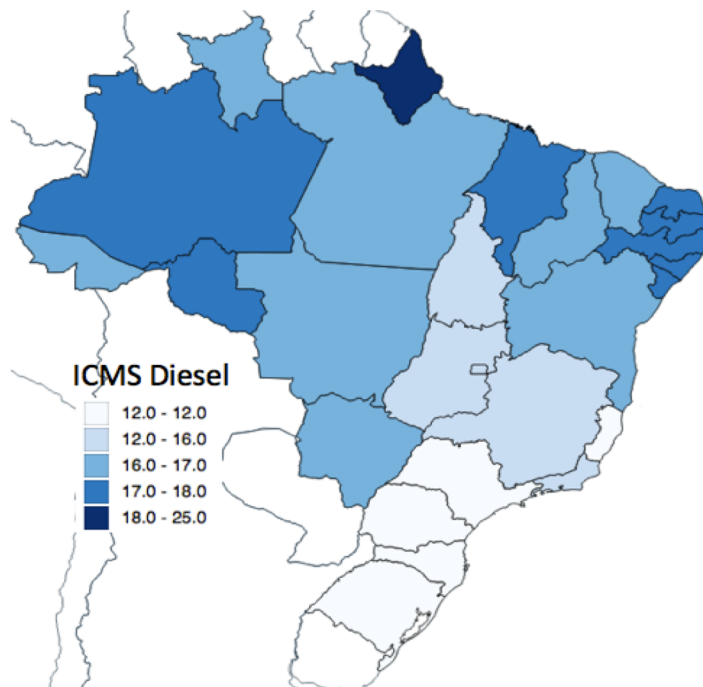
Not considering topography



Not considering backhauling cost



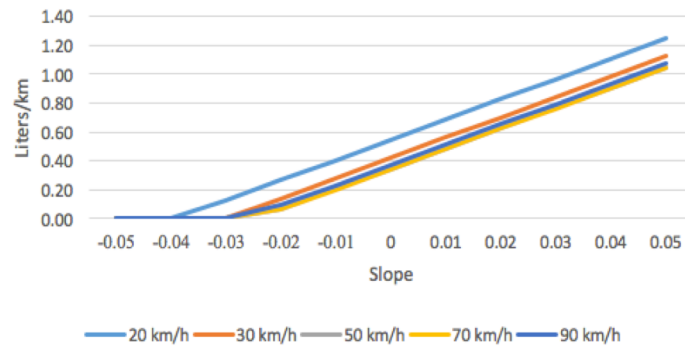
## Fuel tax per state



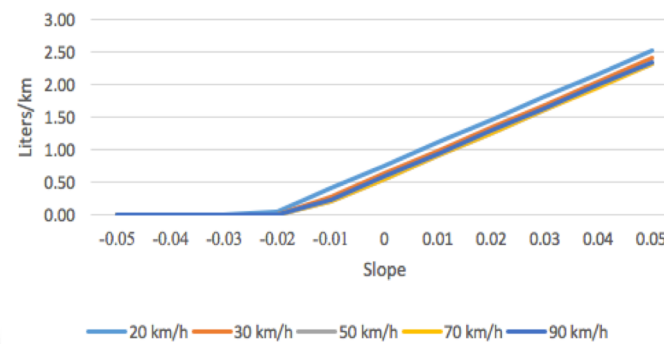


## Company and problem

Liters / km as function of slope and speed - Empty truck



Liters / km as function of slope and speed - Full truck



$$F(\alpha_{(\theta)}, l, v, d) = \frac{\lambda d}{v} \{kNV + \gamma[(w + l)\alpha_{(\theta)}v + \beta v^3]\}$$

Where:

$\lambda$  = Conversion factor (l/k)

$k$  = Engine friction factor (k/rev/l)

$N$  = Engine speed (rev/s)

$V$  = Engine displacement (l)

$\gamma$  = Conversion factor based on engine efficiency

$w$  = Curb-weight (kg)

$\alpha_{(\theta)}$  = Vehicle specific arc constant =  $\tau + g \sin \theta + gC_r \cos \theta$

$\tau$  = Acceleration ( $m/s^2$ )

$g$  = Gravitational acceleration ( $m/s^2$ )

$C_r$  = Coefficient of rolling resistance

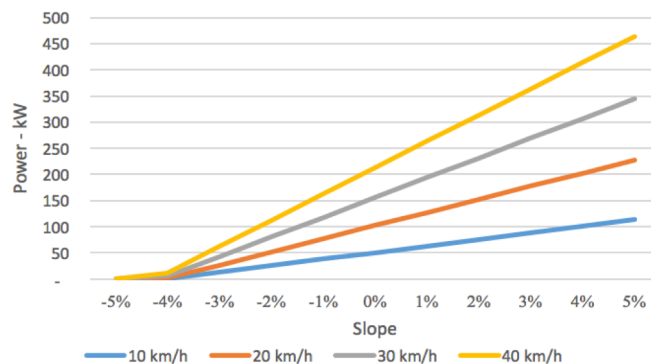
$\theta$  = Road angle

$\beta$  = Vehicle specific arc constant =  $0.5 C_d \rho A$

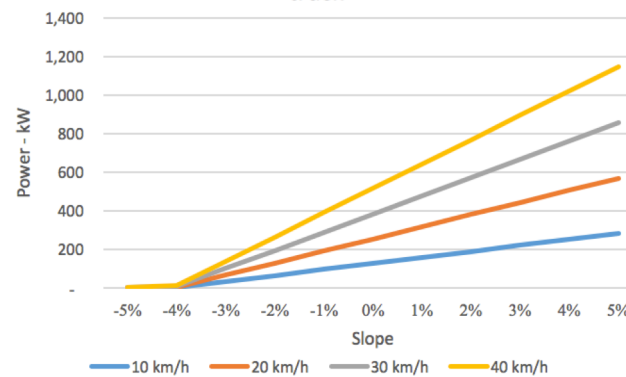
$C_d$  = Coefficient of aerodynamic drag

$\rho$  = Air density ( $kg/m^3$ )

Power (kW) as function of slope and speed - Empty truck



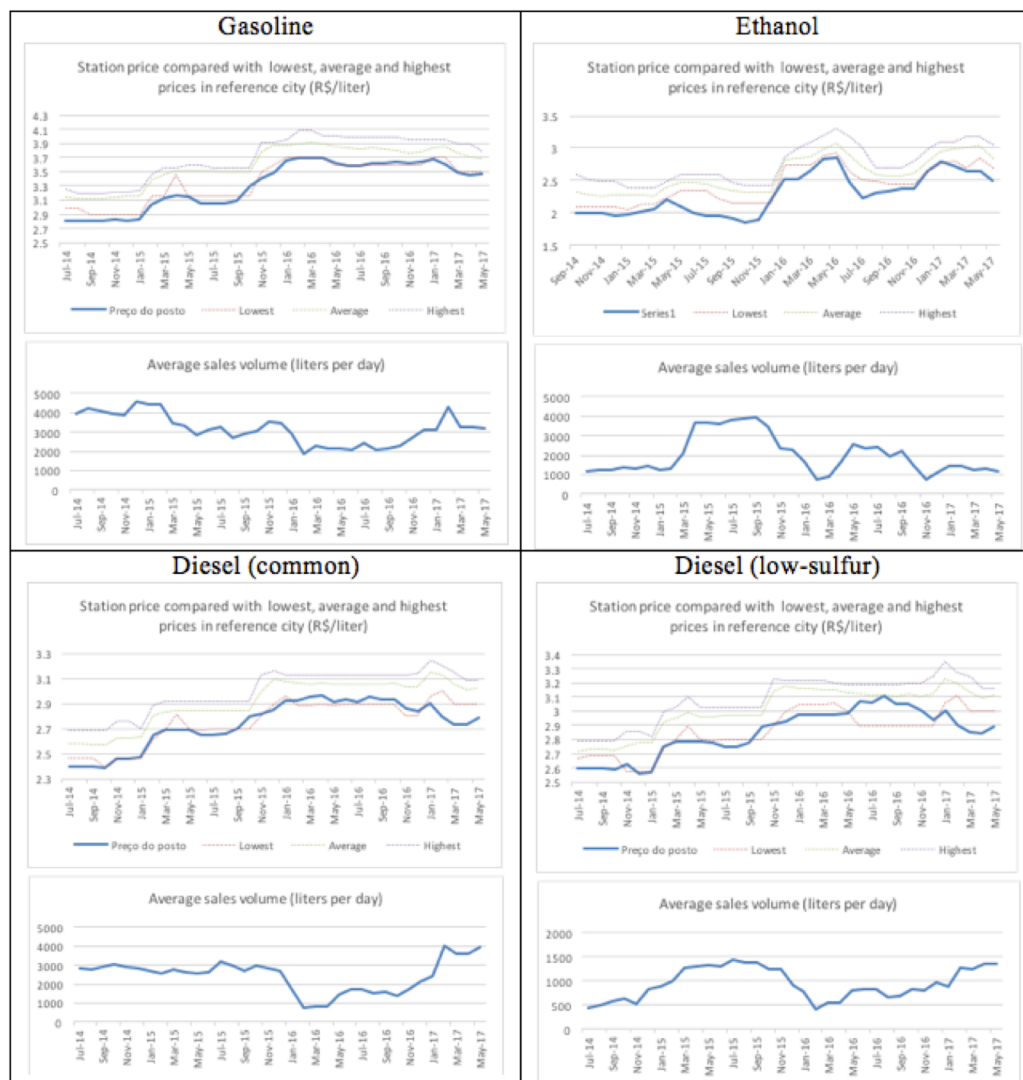
Power (kW) as function of slope and speed - Full truck



## Route costing

Tanker Truck Transportation Costs (considering a 30,000 liter truck)		Fixed cost (US\$/year)	Variable cost - full (US\$/km)	Variable cost - empty (US\$/km)
<b>Equipment (truck and tank)</b>				
Capital cost	Truck purchased for US\$ 90k, with 1% IR	\$10,800		
Depreciation	Purchases for US\$ 90k, sells for US\$ 45k after 500k km		\$0.09	\$0.09
State vehicle tax	1.5% of the truck value	\$1,050		
Documentation	US\$1100 per year	\$1,100		
<b>Maintenances</b>				
Tires	18 tires, \$400 each, run 350k km with two \$120 repairs		\$0.03	\$0.03
Oil and Filter	Filters (\$60) and 2 drums of oil (\$50) each 10k km		\$0.02	\$0.02
Brake	US\$ 50 per wheel, 6 wheels, each 6k km		\$0.07	\$0.04
Other maintenance	\$1k per year	\$1,000		
<b>Safety and security</b>				
Equipment insurance	US\$ 500 per month	\$6,000		
Cargo insurance	\$70 per 200km trip		\$0.35	
Tracking service	\$60 per month	\$720		
<b>Driver</b>				
Salary	\$600 per month plus benefits	\$14,400		
Trip expenses	\$25 per day	\$7,800		
Toll	\$3 per axle each 150km. 5 axle if full, 3 axle if empty		\$0.10	\$0.06
<b>Total costs</b>		<b>\$42,870</b>	<b>\$0.59</b>	<b>\$0.24</b>

## Company data



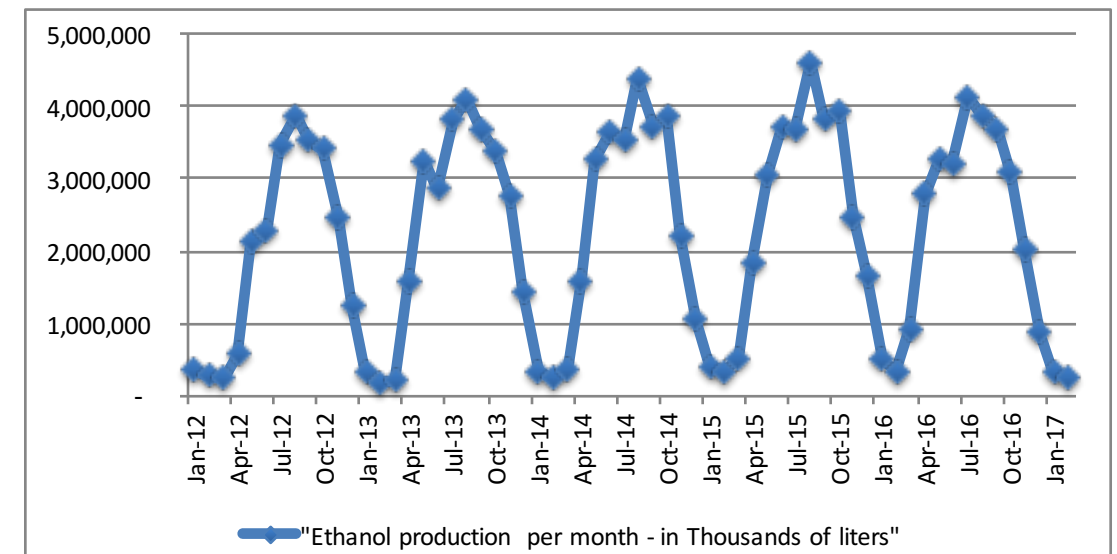
### Income statement (in 1,000' US\$)

	<b>Per month</b>
Revenue	US\$ 200.0
- COGS	US\$ 181.3
= Gross Income	US\$ 18.3
- Operating Expenses	US\$ 12.0
<i>fuel transportation</i>	US\$ 4.0
<i>fleet fixed costs</i>	US\$ 2.0
<i>labor</i>	US\$ 4.0
<i>running expenses</i>	US\$ 2.0
Operating Income (EBITDA)	US\$ 6.3
- Depreciation & Amortization	US\$ 1.7
<i>station equipment</i>	US\$ 1.7
Operating Income (EBIT)	US\$ 4.7
- Income Tax (24%)	US\$ 1.1
Net Oper. Prof. After Taxes (NOPAT)	US\$ 3.6
<b>Adjustments</b>	
+ Depreciation & Amortization	US\$ 1.7
<b>Free Cash Flows</b>	<b>US\$ 5.2</b>



## Ethanol feedstock and seasonality

Country	Ethanol feedstocks	Ethanol yield (l/hectare)
Brazil	Sugar cane (100%)	6641
USA	Corn (98%)	3770
	Sorghum (2%)	1365
China	Corn (70%)	2011
	Wheat (30%)	1730
E.U.	Wheat (48%)	1702
	Sugar beet (29%)	5145
Canada	Corn (70%)	3460
	Wheat (30%)	1075



## Gasoline pricing in Brazil

